

ERRATA

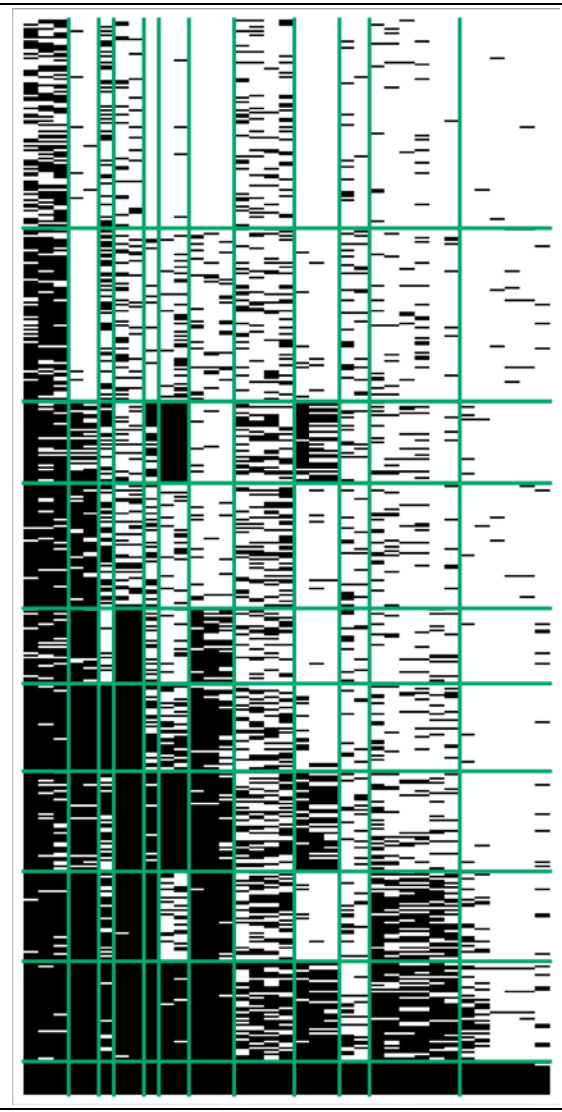
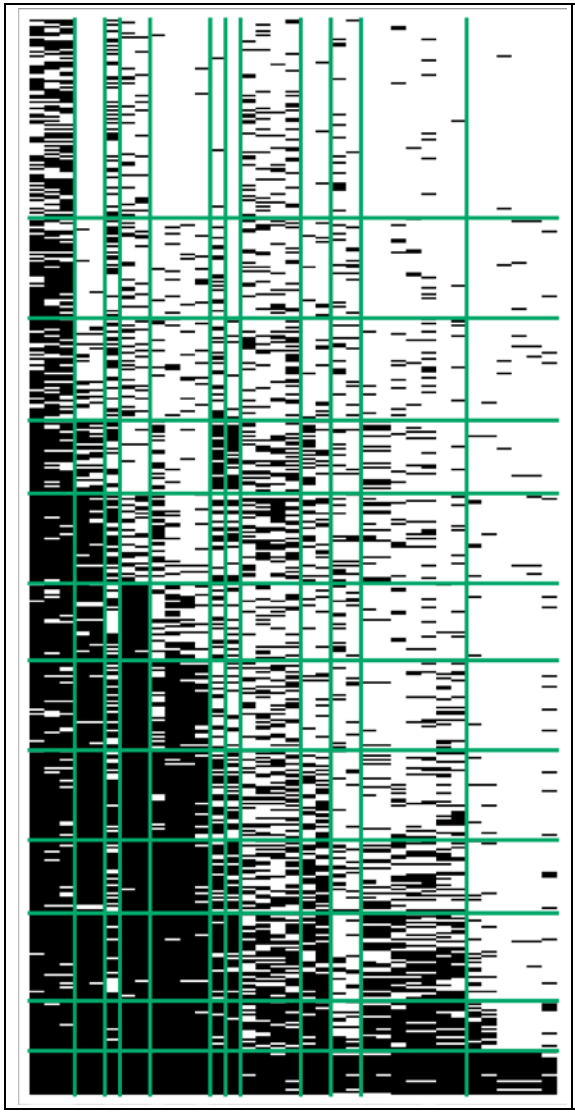
The following table lists the errors found in the book.

The author would like to express his deep appreciation to Dr. Koji Kosugi (Senshu University) for pointing out these errors.

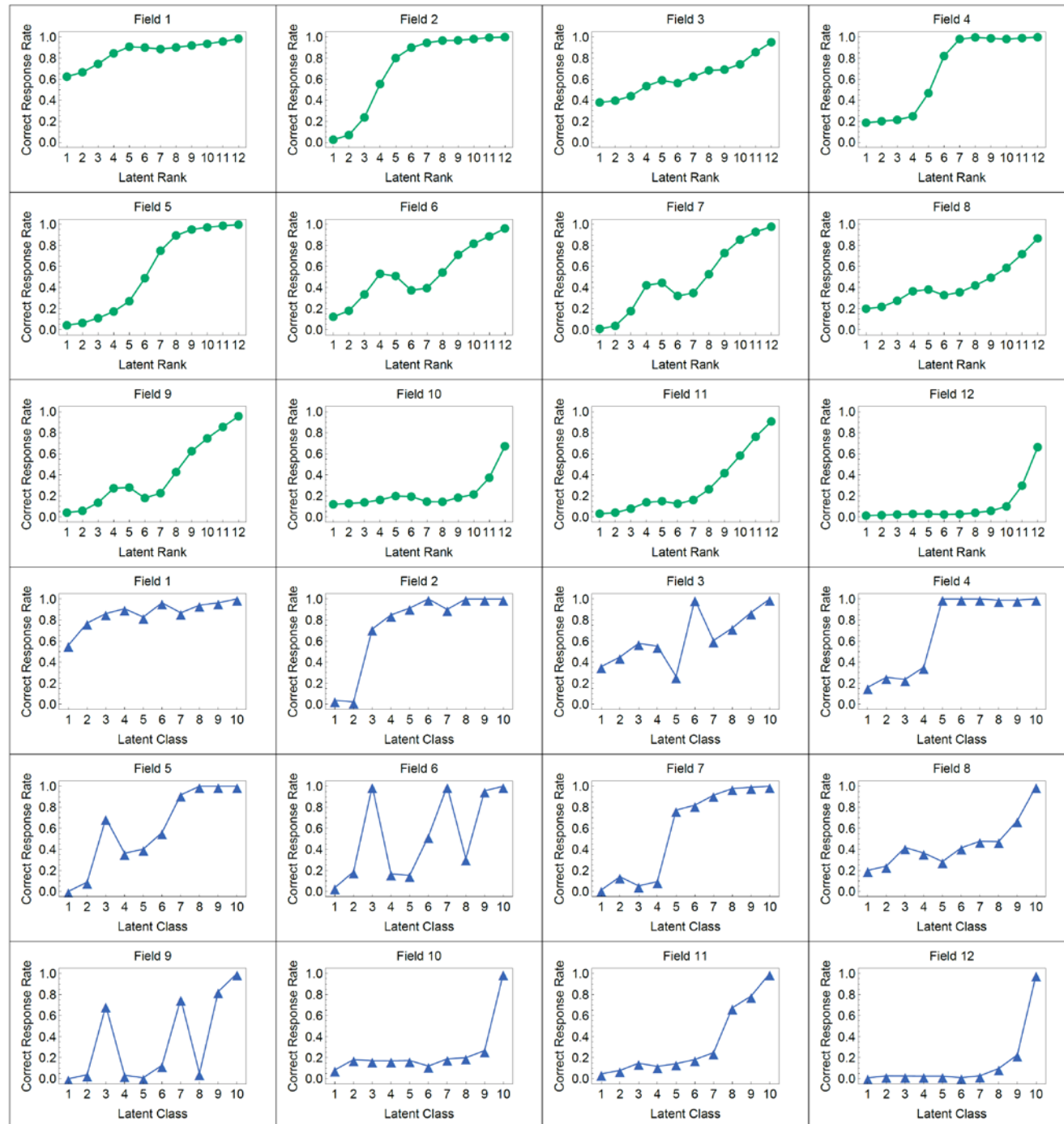
Location	Error	Correction
P46, L4	$\tau_k = 0.088$	$\tau_k = -0.088$
P49, Eq.(2.17)	0.088 (five places)	-0.088
P49, second equation	$ll(0.5; -0.518, 0.088) = -106.2$	$ll(0.5; -0.518, -0.088) = -105.3$
P49, third equation	$e^{-106.2} = 7.55 \times 10^{-47}$	$e^{-105.3} = 1.84 \times 10^{-46}$
P49, fourth equation	$ll(0.0; -0.518, 0.088) = -112.9$	$ll(0.5; -0.518, -0.088) = -112.1$
P49, fifth equation	$ll(0.5; -0.518, 0.088) > ll(0.0; -0.518, 0.088)$	$ll(0.5; -0.518, -0.088) > ll(0.0; -0.518, -0.088)$
P49, L18	$ll(\rho; -0.518, 0.088)$	$ll(\rho; -0.518, -0.088)$
P133, box	$-\frac{d^2 \ln \text{pr}(c \beta_{c_1}, \beta_{c_2})}{dc^2} = \frac{\beta_{c_1} - 1}{c^2} + \frac{\beta_{c_2} - 1}{1 - c^2}$ $-\frac{d^2 \ln \text{pr}(d \beta_{d_1}, \beta_{d_2})}{dd^2} = \frac{\beta_{d_1} - 1}{d^2} + \frac{\beta_{d_2} - 1}{1 - d^2}$	$-\frac{d^2 \ln \text{pr}(c \beta_{c_1}, \beta_{c_2})}{dc^2} = \frac{\beta_{c_1} - 1}{c^2} + \frac{\beta_{c_2} - 1}{(1 - c)^2}$ $-\frac{d^2 \ln \text{pr}(d \beta_{d_1}, \beta_{d_2})}{dd^2} = \frac{\beta_{d_1} - 1}{d^2} + \frac{\beta_{d_2} - 1}{(1 - d)^2}$
P135, box	$-E \left[\frac{\partial^2 \text{ell}(\mathbf{u}_j \boldsymbol{\lambda})}{\partial d \partial a} \right] = - \sum_{q=1}^Q Z_{jq} \frac{(\theta_q - b)(P(\theta_q; \boldsymbol{\lambda}) - c)^2}{(d - c)P(\theta_q; \boldsymbol{\lambda})Q(\theta_q; \boldsymbol{\lambda})}$	$-E \left[\frac{\partial^2 \text{ell}(\mathbf{u}_j \boldsymbol{\lambda})}{\partial d \partial a} \right] = \sum_{q=1}^Q Z_{jq} \frac{(\theta_q - b)(P(\theta_q; \boldsymbol{\lambda}) - c)^2 (d - P(\theta_q; \boldsymbol{\lambda}))}{(d - c)^2 P(\theta_q; \boldsymbol{\lambda})Q(\theta_q; \boldsymbol{\lambda})}$
P136, upper box	$-E \left[\frac{\partial^2 \text{ell}(\mathbf{u}_j \boldsymbol{\lambda})}{\partial a^2} \right] = \sum_{q=1}^Q Z_{jq} \frac{(\theta_q - b)^2 (P(\theta_q; \boldsymbol{\lambda}) - c)^2 Q(\theta_q; \boldsymbol{\lambda})}{(1 - c)P(\theta_q; \boldsymbol{\lambda})}$	$-E \left[\frac{\partial^2 \text{ell}(\mathbf{u}_j \boldsymbol{\lambda})}{\partial a^2} \right] = \sum_{q=1}^Q Z_{jq} \frac{(\theta_q - b)^2 (P(\theta_q; \boldsymbol{\lambda}) - c)^2 Q(\theta_q; \boldsymbol{\lambda})}{(1 - c)^2 P(\theta_q; \boldsymbol{\lambda})}$

Location	Error	Correction												
P205, third equation	$\kappa_t = \frac{(T-t)\kappa_1 + (t-1)\kappa_T}{R(T-1)}$	$\kappa_t = \frac{(T-t)\kappa_1 + (t-1)\kappa_T}{T-1}$												
P267, second equation	$\Pi_B^{(0)} = \begin{bmatrix} 0.624 & 0.864 & 0.872 & 0.898 & 0.952 & 1.000 \\ 0.063 & 0.333 & 0.426 & 0.919 & 0.990 & 1.000 \\ 0.201 & 0.543 & 0.228 & 0.475 & 0.706 & 1.000 \\ 0.050 & 0.245 & 0.078 & 0.233 & 0.648 & 0.983 \\ 0.023 & 0.054 & 0.028 & 0.043 & 0.160 & 0.983 \end{bmatrix}$	$\Pi_B^{(0)} = \begin{bmatrix} 0.455 & 0.545 & 0.636 & 0.727 & 0.818 & 0.909 \\ 0.364 & 0.455 & 0.545 & 0.636 & 0.727 & 0.818 \\ 0.273 & 0.364 & 0.455 & 0.545 & 0.636 & 0.727 \\ 0.182 & 0.273 & 0.364 & 0.455 & 0.545 & 0.636 \\ 0.091 & 0.182 & 0.273 & 0.364 & 0.455 & 0.545 \end{bmatrix}$												
P270, last equation	$pr(\Pi_B; \beta_0, \beta_1) = \prod_{f=1}^F \prod_{c=1}^C \frac{\pi_{fc}^{\beta_1-1} (1-\pi_{fc})^{\beta_1-1}}{B(\beta_0, \beta_1)}$	$pr(\Pi_B; \beta_0, \beta_1) = \prod_{f=1}^F \prod_{c=1}^C \frac{\pi_{fc}^{\beta_1-1} (1-\pi_{fc})^{\beta_0-1}}{B(\beta_0, \beta_1)}$												
P 293, Table 7.3	(the bottom row) <table border="1" data-bbox="434 703 1216 751"> <tr> <td>LFD*2</td> <td>3</td> <td>7</td> <td>4</td> <td>8</td> <td>12</td> </tr> </table>	LFD*2	3	7	4	8	12	<table border="1" data-bbox="1299 703 2080 751"> <tr> <td>LFD*2</td> <td>3</td> <td>7</td> <td>4</td> <td>9</td> <td>12</td> </tr> </table>	LFD*2	3	7	4	9	12
LFD*2	3	7	4	8	12									
LFD*2	3	7	4	9	12									
P 294, Table 7.4	(the bottom row) <table border="1" data-bbox="434 818 1216 866"> <tr> <td>LFD</td> <td>3</td> <td>7</td> <td>4</td> <td>7</td> <td>12</td> </tr> </table>	LFD	3	7	4	7	12	<table border="1" data-bbox="1299 818 2080 866"> <tr> <td>LFD</td> <td>3</td> <td>7</td> <td>4</td> <td>9</td> <td>12</td> </tr> </table>	LFD	3	7	4	9	12
LFD	3	7	4	7	12									
LFD	3	7	4	9	12									

P 330, Table 7.11	(the first row and second column)							
	$F \setminus R$	11	12	13	14	15	16	17
	5	-5009.47	-5031.88	-5056.72	-5071.52	-5091.82	-5109.94	-5123.12
	6	-5096.78	-5074.30	-5212.90	-5212.45	-5039.19	-5045.53	-5255.66
	7	-5189.44	-5208.74	-5152.74	-5163.36	-5159.46	-5169.96	-5242.73
	8	-5329.56	-5354.64	-5372.70	-5391.83	-5412.61	-5433.39	-5446.86
	9	-5330.80	-5354.18	-5299.48	-5323.41	-5389.28	-5410.32	-5425.94
	10	-5317.76	-5336.72	-5364.86	-5438.38	-5453.99	-5462.63	-5478.09
	11	-5398.36	-5396.98	-5266.07	-5359.73			
	12	-5412.16	-5504.37	-5539.68	-5557.33	-5528.14		
	13	-5398.25	-5489.55	-5523.16	-5522.75	-5530.59		
	14	-5353.03	-5440.79	-5424.61	-5520.25	-5532.00		
	15	-5459.98	-5441.67	-5401.13	-5417.41			
P330, second par, L2	...an R ranging from 12 to 18				...an R ranging from 11 to 17			
Location	Error				Correction			
P331, first par, L3	L3: ... when $(F, R) = (12, 14)$ and thus $BIC = -5557.33$. L4: ... with $(F, R) = (12, 14)$, where...				L3: ... when $(F, R) = (12, 13)$ and thus $BIC = -5504.37$. L4: ... with $(F, R) = (12, 13)$, where...			
P331, Fig. 7.24	Rankclustering $(F, R) = (12, 11)$				Biclustering $(C, R) = (12, 10)$			



P333, Fig. 7.25



P335, Table 7.12	(upper part)																																																																																						
P563, Table 11.7	<table border="1"> <thead> <tr> <th data-bbox="712 153 853 204"></th> <th data-bbox="853 153 999 204">Field 1</th> <th data-bbox="999 153 1144 204">Field 2</th> <th data-bbox="1144 153 1290 204">Field 3</th> <th data-bbox="1290 153 1435 204">Field 4</th> <th data-bbox="1435 153 1581 204">Field 5</th> <th data-bbox="1581 153 1727 204">Field 6</th> <th data-bbox="1727 153 1854 204">LF</th> </tr> </thead> <tbody> <tr> <td data-bbox="712 204 853 252">Item 01</td> <td data-bbox="853 204 999 252">1</td> <td data-bbox="999 204 1144 252"></td> <td data-bbox="1144 204 1290 252"></td> <td data-bbox="1290 204 1435 252"></td> <td data-bbox="1435 204 1581 252"></td> <td data-bbox="1581 204 1727 252"></td> <td data-bbox="1727 204 1854 252">1</td> </tr> <tr> <td data-bbox="712 252 853 300">Item 02</td> <td data-bbox="853 252 999 300"></td> <td data-bbox="999 252 1144 300"></td> <td data-bbox="1144 252 1290 300"></td> <td data-bbox="1290 252 1435 300">1</td> <td data-bbox="1435 252 1581 300"></td> <td data-bbox="1581 252 1727 300"></td> <td data-bbox="1727 252 1854 300">4</td> </tr> <tr> <td data-bbox="712 300 853 347">Item 03</td> <td data-bbox="853 300 999 347"></td> <td data-bbox="999 300 1144 347"></td> <td data-bbox="1144 300 1290 347"></td> <td data-bbox="1290 300 1435 347">1</td> <td data-bbox="1435 300 1581 347"></td> <td data-bbox="1581 300 1727 347"></td> <td data-bbox="1727 300 1854 347">4</td> </tr> <tr> <td data-bbox="712 347 853 395">Item 04</td> <td data-bbox="853 347 999 395"></td> <td data-bbox="999 347 1144 395"></td> <td data-bbox="1144 347 1290 395"></td> <td data-bbox="1290 347 1435 395"></td> <td data-bbox="1435 347 1581 395">1</td> <td data-bbox="1581 347 1727 395"></td> <td data-bbox="1727 347 1854 395">5</td> </tr> <tr> <td data-bbox="712 395 853 443">Item 05</td> <td data-bbox="853 395 999 443"></td> <td data-bbox="999 395 1144 443"></td> <td data-bbox="1144 395 1290 443"></td> <td data-bbox="1290 395 1435 443"></td> <td data-bbox="1435 395 1581 443">1</td> <td data-bbox="1581 395 1727 443"></td> <td data-bbox="1727 395 1854 443">5</td> </tr> <tr> <td data-bbox="712 443 853 491">Item 06</td> <td data-bbox="853 443 999 491"></td> <td data-bbox="999 443 1144 491"></td> <td data-bbox="1144 443 1290 491"></td> <td data-bbox="1290 443 1435 491"></td> <td data-bbox="1435 443 1581 491">1</td> <td data-bbox="1581 443 1727 491"></td> <td data-bbox="1727 443 1854 491">5</td> </tr> <tr> <td data-bbox="712 491 853 539">Item 07</td> <td data-bbox="853 491 999 539"></td> <td data-bbox="999 491 1144 539"></td> <td data-bbox="1144 491 1290 539"></td> <td data-bbox="1290 491 1435 539">1</td> <td data-bbox="1435 491 1581 539"></td> <td data-bbox="1581 491 1727 539"></td> <td data-bbox="1727 491 1854 539">4</td> </tr> <tr> <td data-bbox="712 539 853 587">Item 08</td> <td data-bbox="853 539 999 587"></td> <td data-bbox="999 539 1144 587"></td> <td data-bbox="1144 539 1290 587"></td> <td data-bbox="1290 539 1435 587">1</td> <td data-bbox="1435 539 1581 587"></td> <td data-bbox="1581 539 1727 587"></td> <td data-bbox="1727 539 1854 587">4</td> </tr> <tr> <td data-bbox="712 587 853 635">Item 09</td> <td data-bbox="853 587 999 635"></td> <td data-bbox="999 587 1144 635"></td> <td data-bbox="1144 587 1290 635"></td> <td data-bbox="1290 587 1435 635">1</td> <td data-bbox="1435 587 1581 635"></td> <td data-bbox="1581 587 1727 635"></td> <td data-bbox="1727 587 1854 635">4</td> </tr> </tbody> </table>								Field 1	Field 2	Field 3	Field 4	Field 5	Field 6	LF	Item 01	1						1	Item 02				1			4	Item 03				1			4	Item 04					1		5	Item 05					1		5	Item 06					1		5	Item 07				1			4	Item 08				1			4	Item 09				1			4
	Field 1	Field 2	Field 3	Field 4	Field 5	Field 6	LF																																																																																
Item 01	1						1																																																																																
Item 02				1			4																																																																																
Item 03				1			4																																																																																
Item 04					1		5																																																																																
Item 05					1		5																																																																																
Item 06					1		5																																																																																
Item 07				1			4																																																																																
Item 08				1			4																																																																																
Item 09				1			4																																																																																
P566, Table 11.9	<table border="1"> <thead> <tr> <th colspan="2" data-bbox="618 1062 842 1114">χ^2 and df</th> <th colspan="2" data-bbox="1066 1062 1290 1114">Standardized Index</th> <th colspan="2" data-bbox="1514 1062 1962 1114">Information Criterion</th> </tr> </thead> <tbody> <tr> <td data-bbox="618 1114 842 1161">ll_B</td> <td data-bbox="842 1114 1066 1161">0.00</td> <td data-bbox="1066 1114 1290 1161">NFI</td> <td data-bbox="1290 1114 1514 1161">0.413</td> <td data-bbox="1514 1114 1738 1161">AIC</td> <td data-bbox="1738 1114 1962 1161">-22216.1</td> </tr> <tr> <td data-bbox="618 1161 842 1209">ll_N</td> <td data-bbox="842 1161 1066 1209">-9862.11</td> <td data-bbox="1066 1161 1290 1209">RFI</td> <td data-bbox="1290 1161 1514 1209">0.408</td> <td data-bbox="1514 1161 1738 1209">CAIC</td> <td data-bbox="1738 1161 1962 1209">-93954.1</td> </tr> <tr> <td data-bbox="618 1209 842 1257">ll_A</td> <td data-bbox="842 1209 1066 1257">-5786.94</td> <td data-bbox="1066 1209 1290 1257">IFI</td> <td data-bbox="1290 1209 1514 1257">1.000</td> <td data-bbox="1514 1209 1738 1257">BIC</td> <td data-bbox="1738 1209 1962 1257">-93921.3</td> </tr> <tr> <td data-bbox="618 1257 842 1305">χ_N^2</td> <td data-bbox="842 1257 1066 1305">19724.20</td> <td data-bbox="1066 1257 1290 1305">TLI</td> <td data-bbox="1290 1257 1514 1305">1.000</td> <td data-bbox="1514 1257 1738 1305"></td> <td data-bbox="1738 1257 1962 1305"></td> </tr> <tr> <td data-bbox="618 1305 842 1353">χ_A^2</td> <td data-bbox="842 1305 1066 1353">11573.90</td> <td data-bbox="1066 1305 1290 1353">CFI</td> <td data-bbox="1290 1305 1514 1353">1.000</td> <td data-bbox="1514 1305 1738 1353"></td> <td data-bbox="1738 1305 1962 1353"></td> </tr> <tr> <td data-bbox="618 1353 842 1401">df_N</td> <td data-bbox="842 1353 1066 1401">17045</td> <td data-bbox="1066 1353 1290 1401">RMSEA</td> <td data-bbox="1290 1353 1514 1401">0.000</td> <td data-bbox="1514 1353 1738 1401"></td> <td data-bbox="1738 1353 1962 1401"></td> </tr> <tr> <td data-bbox="618 1401 842 1449">df_A</td> <td data-bbox="842 1401 1066 1449">16895</td> <td data-bbox="1066 1401 1290 1449"></td> <td data-bbox="1290 1401 1514 1449"></td> <td data-bbox="1514 1401 1738 1449"></td> <td data-bbox="1738 1401 1962 1449"></td> </tr> </tbody> </table>							χ^2 and df		Standardized Index		Information Criterion		ll_B	0.00	NFI	0.413	AIC	-22216.1	ll_N	-9862.11	RFI	0.408	CAIC	-93954.1	ll_A	-5786.94	IFI	1.000	BIC	-93921.3	χ_N^2	19724.20	TLI	1.000			χ_A^2	11573.90	CFI	1.000			df_N	17045	RMSEA	0.000			df_A	16895																																				
χ^2 and df		Standardized Index		Information Criterion																																																																																			
ll_B	0.00	NFI	0.413	AIC	-22216.1																																																																																		
ll_N	-9862.11	RFI	0.408	CAIC	-93954.1																																																																																		
ll_A	-5786.94	IFI	1.000	BIC	-93921.3																																																																																		
χ_N^2	19724.20	TLI	1.000																																																																																				
χ_A^2	11573.90	CFI	1.000																																																																																				
df_N	17045	RMSEA	0.000																																																																																				
df_A	16895																																																																																						

P566, first equation	$\chi_A^2 = 2 \times \{0 - (-5776.14)\} = 11,552.28$	$\chi_A^2 = 2 \times \{0 - (-5786.94)\} = 11,573.90$
----------------------	--	--

Last Updated: 2024/09/17